

ASSIGNMENT: Standardized Normal “Bell” Curves

DIRECTIONS: Most statistics tend to cluster in the middle and have tails on either side. This creates a normal or “bell” curve. We can go a step further to standardize all data sets by creating a *standard* normal curve. Standard normal curves have a μ 0 and a σ of 1. Standard normal curves are “easy on the eyes.”

To convert your data to this standard form, utilize the formula:

$$z = \frac{x - \mu}{\sigma} \quad \text{where } x \text{ is your unconverted data point, } \mu \text{ is your population mean, and } \sigma \text{ is your population standard deviation}$$

The z-score you find with this formula represents the number of standard deviations from the mean. It will help you understand how much of the data lies in a certain region on the bell curve.

The Brahma chicken produces eggs with weights in grams that are normally distributed about a mean of 55 g with a standard deviation of 7 g. The eggs are classified as small, medium, large or extra large according to their weight, as shown in the table below.

Size	Weight (g)
Small	Weight < 53
Medium	$53 \leq \text{Weight} < 63$
Large	$63 \leq \text{Weight} < 73$
Extra Large	Weight ≥ 73

- (a) Sketch a diagram of the distribution of the weight of Brahma chicken eggs. On your diagram, show clearly the boundaries for the classification of the eggs. Sketch this diagram on the back of this page. [3 marks]

An egg is chosen at random.

- (b) Find the probability that the egg is
- (i) medium;
 - (ii) extra large. [4 marks]

There is a probability of 0.3 that a randomly chosen egg weighs more than w grams.

- (c) Find w . [2 marks]

The probability that a Brahma chicken produces a large size egg is 0.121. Frank’s Brahma chickens produce 2000 eggs each month.

- (d) Calculate an estimate of the number of large size eggs produced by Frank’s chickens each month. [2 marks]

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DATE: 01/06A-09B/2017

Answer key (show all calculations for full marks):

a.) Ensure your customized diagram has the mean, standard deviation, and each size category marked.

b.) i. 48.6% ii. 0.506%

c.) Use trial and error to find a suitable answer.

d.) Hint: Normally probability is calculated with a total of 1 (or 100%). Now the total is 2000.